

Hypothesis Testing Roadmap

Taught in Green Belt

Taught in Black Belt

Taught in ToolMaster

Start

Building Models

Tests for Significance
(All types of models)

For each model as a whole:
 H_0 : Model is not Significant
 H_A : Model is Significant

For each factor in a model:
 H_0 : Model is not Significant
 H_A : Model is Significant

Fitted Line Plot
Stat>Regression>Fitted Line Plot
Variable Y
One, Continuous X
Assumes Normality & Equal Variances

Multiple Regression
Stat>Regression>Regression
Variable Y
Multiple, Continuous Xs
Assumes Normality & Equal Variances

ANOVA/DOE
Stat>ANOVA>General Linear Model
Variable Y
Multiple, Discrete Xs
Assumes Normality & Equal Variances

Binary Logistic Regression
Stat>Regression>Binary Logistic Regression
Binomial, Attribute Y
Multiple, Continuous or Discrete Xs

Ordinal Logistic Regression
Stat>Regression>Ordinal Logistic Regression
Multinomial, Attribute, Ordinal Y
Multiple, Continuous or Discrete Xs

Nominal Logistic Regression
Stat>Regression>Nominal Logistic Regression
Multinomial, Attribute, Unordered Y
Multiple, Continuous or Discrete Xs

Tips to Remember

1. Proper sample size selection is required for tests to be effective.
2. H_A can be $<$, $>$, or $\neq$.
3. If $p > \alpha$, then fail to reject H_0 .
4. If $p \leq \alpha$, then reject H_0 .
5. An α -risk of 0.05 is typical.

Abbreviations

B.S. = Basic Statistics
CI = Confidence Interval

> 1

Xs

One

Attribute

Variable

No

Normal?

Yes

Chi-Square Analysis GOF
 H_0 : Distribution fits Assumption
 H_A : Distribution does not fit
Stat>Tables>Chi Square
Goodness of Fit Test (One Variable)

Chi-Square Analysis
 H_0 : Variables are Independent
 H_A : Variables are NOT Independent
Stat>Tables>Chi Square Test
(Two-Way Table in Worksheet)

Two or More (Multinomial)

Two (Binomial)

One (Group)

Two (Groups)

> Two (Groups)

Attribute Data

1 Proportion Test

$H_0: P = P_{tgt}$
 $H_A: P \neq P_{tgt}$
Stat>B.S.>1 Proportion Test

2 Proportion Test

$H_0: P_1 = P_2$
 $H_A: P_1 \neq P_2$
Stat>B.S.>2 Proportion Test

Analysis of Means (Binomial)

$H_0: P_1, P_2, \dots, P_k = P_{pooled}$
 $H_A: P_1, P_2, \dots, P_k \neq P_{pooled}$
Stat>ANOVA>Analysis of Means

Normality Test

H_0 : Sample is from a Normal Population
 H_A : Sample is Not from a Normal Population
Stat>B.S.>Graphical Summary



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Levene's Test
 $H_0: \sigma_1^2 = \sigma_2^2 = \dots = \sigma_k^2$
 H_A : at least one is different
Stat>ANOVA>Test for Equal Variances

Levene's Test
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1 Sample Sign Test
1 Sample Wilcoxon
 $H_0: M = M_{tgt}$
 $H_A: M \neq M_{tgt}$
Stat>Nonparametrics>1 Sample Sign or
Stat>Nonparametrics>1 Sample Wilcoxon

1 Variance Test
 $H_0: \sigma = \sigma_{tgt}$
 $H_A: \sigma \neq \sigma_{tgt}$
Stat>B.S.>1 Variance

Mann-Whitney Test
 $H_0: M_1 = M_2$
 $H_A: M_1 \neq M_2$
Stat>Nonparametrics>Mann-Whitney

Kruskal-Wallis or Mood's Median Test
 $H_0: M_1 = M_2 = \dots = M_k$
 H_A : at least one is different
Stat>Nonparametrics>Kruskal-Wallis
Stat>Nonparametrics>Mood's Median Test

Variable Data - Non-Normal

Bartlett's Test
 $H_0: \sigma_1^2 = \sigma_2^2 = \dots = \sigma_k^2$
 H_A : at least one σ^2 is different
Stat>ANOVA>Test for Equal Variances

F-Test
 $H_0: \sigma_1^2 = \sigma_2^2$
 $H_A: \sigma_1^2 \neq \sigma_2^2$
Stat>B.S.>2 Variances

2 Sample t Test
 $H_0: \mu_1 = \mu_2$
 $H_A: \mu_1 \neq \mu_2$
Stat>B.S.>2 Sample t

ANOVA One-Way
 $H_0: \mu_1 = \mu_2 = \dots = \mu_k$
 H_A : At least 1 is different
Stat>ANOVA>One-Way

Variable Data - Normal

Paired t Test
 $H_0: \mu_{1-2} = 0$
 $H_A: \mu_{1-2} \neq 0$
Stat>B.S.>1 Paired t

1 Sample t Test
 $H_0: \mu = \mu_{tgt}$
 $H_A: \mu \neq \mu_{tgt}$
Stat>B.S.>1 Sample t

1 Variance Test
 $H_0: \sigma = \sigma_{tgt}$
 $H_A: \sigma \neq \sigma_{tgt}$
Stat>B.S.>1 Variance

☒ Assume equal variances

☐ Assume equal variances